

Tricks: Always guess

- If you can eliminate at least one answer, guess
- Correct answers worth 1 point
- Incorrect answers worth -.25 points
- Totally random guess:
 - $.2*1 + .8*(-.25) = 0$
 - 0 expected score gain
- Random guess, eliminating one answer:
 - $.25*1 + .75*(-.25) = .0625$
 - 1/16 of a point expected score gain
 - (Better than nothing)
- **All test-taking strategies that will make the Physics GRE easier depend on your ability to use intuition to immediately eliminate one or more answers.**

Tricks: Orders of Magnitude

$$e = 3 = \pi = 4 = 10^{1/2}$$

- Arithmetic does not need to be exact
- Save time by avoiding digits larger than 1 or 2.
- Collect orders of magnitude
- Numerical answers often differ by enough that you avoid rounding errors this way

Tricks: Orders of Magnitude

Which of the following is most nearly the mass of the Earth? (The radius of the Earth is about 6.4×10^6 meters.)

- (A) 6×10^{24} kg**
- (B) 6×10^{27} kg**
- (C) 6×10^{30} kg**
- (D) 6×10^{33} kg**
- (E) 6×10^{36} kg**

Hint: $G = 6.67 \times 10^{-11} \text{ meter}^3/(\text{kilogram second}^2)$

Tricks: Orders of Magnitude

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$$mg = \frac{GMm}{r^2}$$

$$M = \frac{gr^2}{G} = \frac{6^2 \cdot 10 \cdot (10^6)^2}{6 \cdot 10^{-11}}$$

$$M = 6 \cdot 10^{12+1+11} = 6 \cdot 10^{24}$$

Tricks: Dimensional analysis

- Can easily eliminate many possible answers because they have incorrect dimensions
- Quick example (you have 10 seconds to answer)

Q: How tall am I?

(A): 5 dollars

(B): 12 N

(C): 70 Gpa

(D): 6 feet

(E): 14 Ω

Tricks: Dimensional analysis

- A slightly harder question:

10. A massless spring with force constant k launches a ball of mass m . In order for the ball to reach a speed v , by what displacement s should the spring be compressed?

(A) $s = v \sqrt{\frac{k}{m}}$

(B) $s = v \sqrt{\frac{m}{k}}$

(C) $s = v \sqrt{\frac{2k}{m}}$

(D) $s = v \frac{m}{k}$

(E) $s = v^2 \frac{m}{2k}$

Tricks: Dimensional analysis

- $[v] = \text{m/s}$
- $[k] = \text{N/m} = \text{kg/s}^2$
- $[m] = \text{kg}$
- $[k/m] = 1/\text{s}^2$
- $[\text{answer}] = \text{m}$

- $[A] = \text{m/s}^2$

- **$[B] = \text{m}$**

- $[C] = \text{m/s}^2$

- $[D] = \text{m/s}^3$

- $[E] = \text{m}^2$

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Tricks: Taking Limits

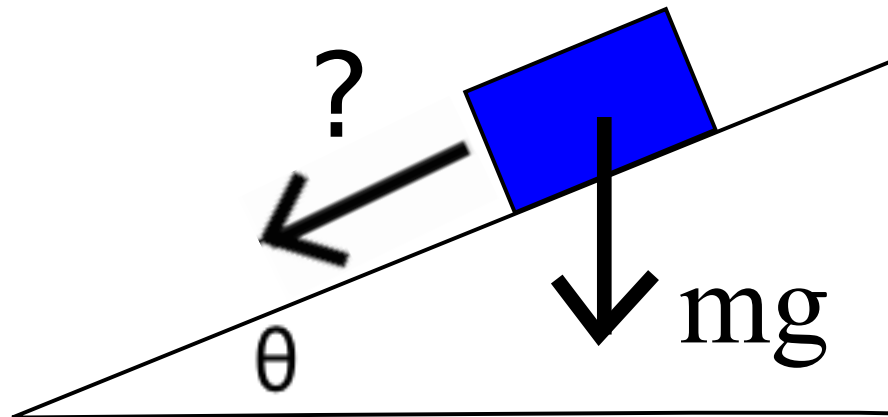
- Examine answers and check to see if they make sense in certain limits
- Quick example:

What is the force on the block in the direction parallel to the ramp?

(A) $mg \sin(\theta)$

(B) $mg \cos(\theta)$

(C) $mg \tan(\theta)$



Tricks: Taking Limits

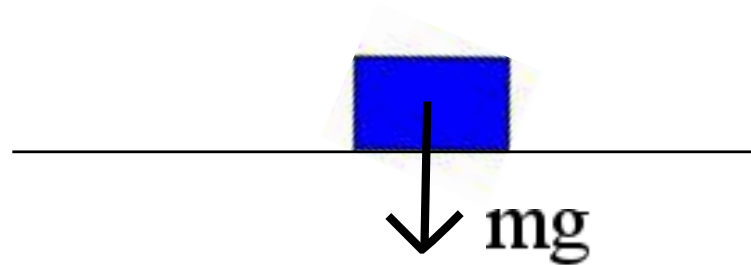
(A) $mg \sin(\theta)$

(B) $mg \cos(\theta)$

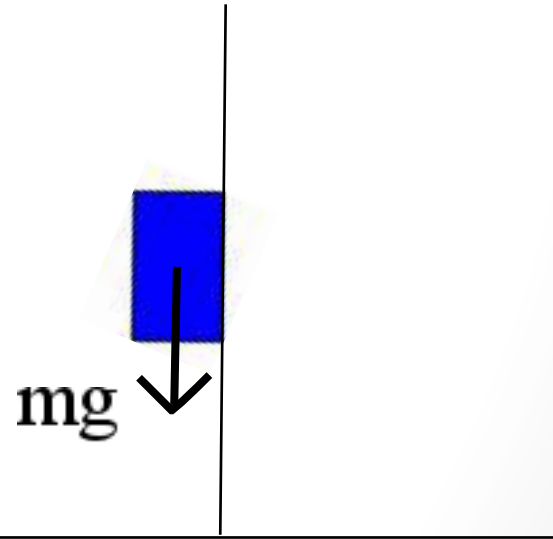
(C) $mg \tan(\theta)$

Examine answers and check to see if they make sense in certain limits

- Let $\theta \rightarrow 0$
- Force goes to 0,
like $\sin(\theta)$ and $\tan(\theta)$

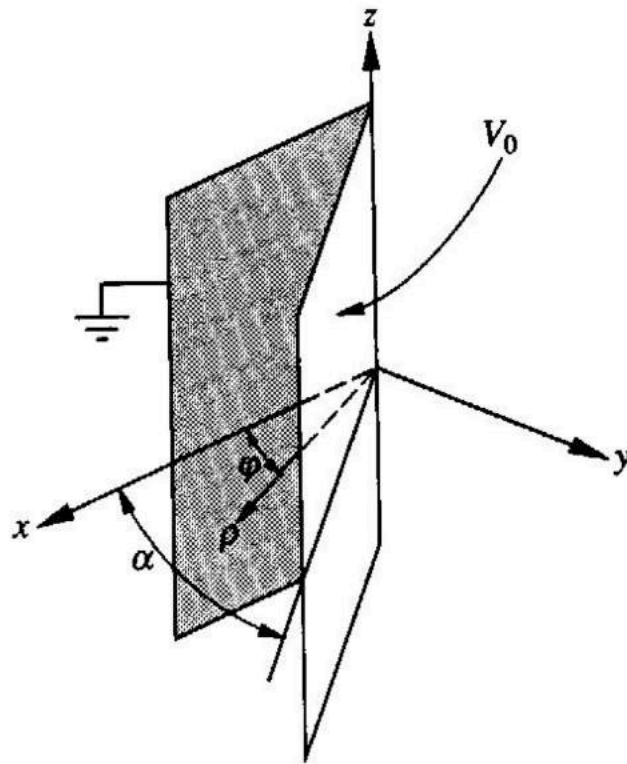


- Let $\theta \rightarrow \pi/2$
- Force goes to mg



Answer: $mg \sin(\theta)$

Tricks: Taking Limits



12. Two large conducting plates form a wedge of angle α as shown in the diagram above. The plates are insulated from each other; one has a potential V_0 and the other is grounded. Assuming that the plates are large enough so that the potential difference between them is independent of the cylindrical coordinates z and ρ , the potential anywhere between the plates as a function of the angle ϕ is

- Look at potential at:
 - $\phi \rightarrow 0$
 - $\phi \rightarrow \alpha$
- Which answers make sense?
Which answers do not?

- (A) $\frac{V_0}{\alpha}$
- (B) $\frac{V_0 \phi}{\alpha}$
- (C) $\frac{V_0 \alpha}{\phi}$
- (D) $\frac{V_0 \phi^2}{\alpha}$
- (E) $\frac{V_0 \alpha}{\phi^2}$